

Higgs sectors in which the only light Higgs is a A^0

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Outline

- Motivations for Higgs doublets and beyond
- Escaping precision Electroweak constraints
- What will it take to find such an A^0 ?

EXTENDED STANDARD MODEL

Even within SM context, should consider extended Higgs sector possibilities.

- Add singlets

No particular theoretical problems (or benefits) but discovery becomes more challenging.

- Add doublets

–: Veltman: charged Higgs m^2 not automatically positive (EM?).

+ : Weinberg: can get CP violation from Higgs sector.

- Add higher representations, e.g. triplets.

If neutral vev $\neq 0$, $\Rightarrow \rho$ is no longer computable (even if representations and vevs are chosen so that $\rho = 1$ at tree level); ρ becomes another input parameter to the theory.

Triplets are motivated by L-R models and seesaw neutrino mass generation. Aside from the triplet, an L-R must contain at least one doublet and more are certainly a possibility.

- Coupling unification can be achieved without SUSY by introducing additional Higgs representations in the standard model.

To repeat, $\rho = 1$ suggests that representations other than $T = 1/2, |Y| = 1$ should have zero vev for the neutral field member (if there is one).

Some simple choices are ($N_{T,Y}$ = number of reps. of given type):

$N_{1/2,1}$	$N_{1/2,3}$	$N_{0,2}$	$N_{0,4}$	$N_{1,0}$	$N_{1,2}$	α_s	M_U (GeV)
1	0	0	2	0	0	0.106	4×10^{12}
1	0	4	0	0	1	0.112	7.7×10^{12}
1	0	0	0	0	2	0.120	1.6×10^{13}
2	0	0	0	1	0	0.116	1.7×10^{14}
2	0	2	0	0	2	0.116	4.9×10^{12}
2	1	0	0	0	2	0.112	1.7×10^{12}
3	0	0	0	0	1	0.105	1.2×10^{13}

Find lower M_U than comfortable for proton decay: must fix by not having true group unification, as in some string models, or ...

My personal favorite: $N_{\frac{1}{2},1} = 2, N_{1,0} = 1 \Rightarrow \alpha_s(m_Z) = 0.115, M_U = 1.7 \times 10^{14}$ GeV

- We will find that there is no guarantee that in such generalized models we will find a light Higgs.
 - In particular, it is possible to construct a model in which the only (moderately light, i.e. $\lesssim 0.5$ TeV) Higgs boson is a pseudoscalar member of a two (or more) doublet Higgs sector.
 - Such a model can be consistent with precision electroweak constraints.
 - Parameters are easily chosen so that discovery of the A^0 is very difficult.

General Two Higgs Doublet Model ($h_{1,2,3}^0, H^\pm$ – CPV – or h^0, H^0, A^0, H^\pm – CPC)

For simplicity we will focus on the CPC case. It contains:

- CP-even h^0 and H^0 .
- CP-odd A^0 .
- Charged Higgs bosons H^\pm .

Some general points:

- A priori, there are no constraints on the masses other than ones required by perturbativity of the $\lambda_{i=1,7}$ quartic couplings of the most general potential for the model.
- An often discussed natural limit for the model is one in which m_{A^0} (along with m_{H^0} and m_{H^\pm}) become large (possibly well in excess of 1 TeV) while the h^0 remains relatively light.

This is possible while keeping all the λ_i perturbative.

- The scenarios we discuss are completely different from the above 'decoupling' limit.

In particular, the heavier Higgs bosons (h^0 , H^0 , H^\pm) must have masses not much above the 1 TeV scale in order for the λ_i to remain in the perturbative domain.

⇒ They will be discovered at machines with large enough mass reach.

- A possible scenario if only the A^0 is light.

The LHC discovers a 1 TeV SM-like h^0 .

There is no light CP-even Higgs boson (with WW , ZZ couplings) as apparently needed to satisfy precision electroweak constraints.

What should one do next?

Satisfying precision electroweak constraints with only a light A^0 .

(JFG, Farris, Chankowski, Grzadkowski, Kalinowski, Krawczyk)

- Assume that the h_{SM} -like Higgs boson is heavy.

\Rightarrow large $\Delta S > 0$ and large $\Delta T < 0$.

- Compensate by large $\Delta T > 0$ from small mass non-degeneracy (weak isospin breaking) of heavier Higgs. Light A^0 + heavy SM-like $h^0 \Rightarrow$

$$\Delta\rho = \frac{\alpha}{16\pi m_W^2 c_W^2} \left\{ \frac{c_W^2 m_{H^\pm}^2 - m_{H^0}^2}{s_W^2} - 3m_W^2 \left[\log \frac{m_{h^0}^2}{m_W^2} + \frac{1}{6} + \frac{1}{s_W^2} \log \frac{m_W^2}{m_Z^2} \right] \right\} \quad (1)$$

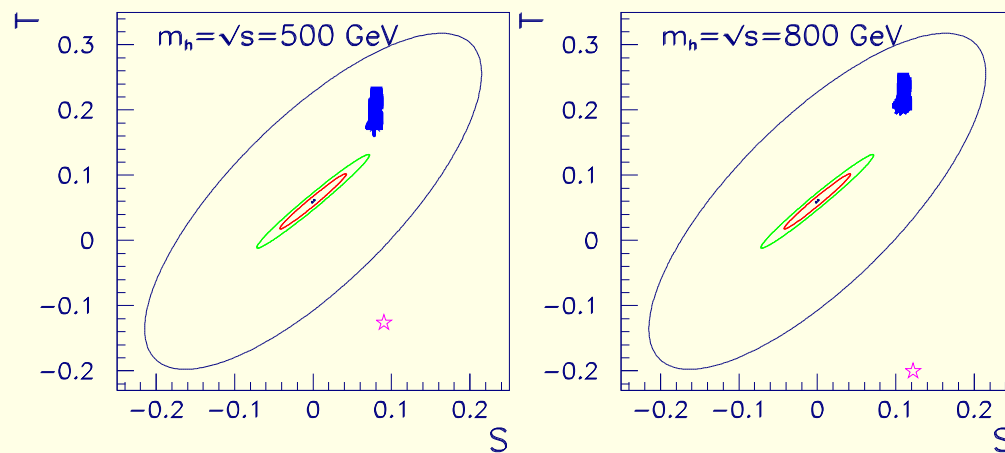
Can adjust $m_{H^\pm} - m_{H^0} \sim \text{few GeV}$ (both heavy) so that the S, T prediction is OK.

E.g. choose $\tan\beta$ and m_{A^0} so that A^0 is in Yukawa no-discovery wedge and choose $m_{h^0} > \sqrt{s} = 500$ GeV or 800 GeV and m_{H^0}, m_{H^\pm} still heavier but adjusted to minimize $\Delta\chi^2$ for precision electroweak data.

\Rightarrow the blue Blobs (for $\tan\beta > 1$).

Giga-Z (with $\Delta m_W = 6$ MeV from WW threshold scan) would pinpoint situation.

S,T for $U=0$ and $\Delta\chi^2_{\min}$ in Light A^0 No-Discovery Zones



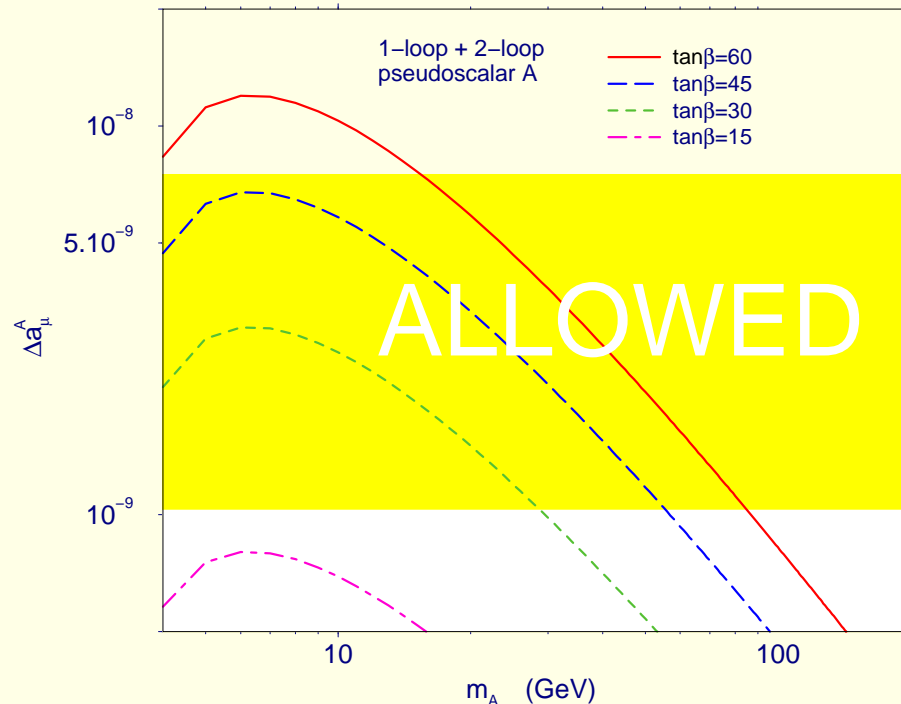
Outer ellipses = current 90% CL region for $U = 0$ and $m_{h_{SM}} = 115$ GeV. Blobs = S, T predictions for Yukawa-wedge 2HDM models with minimum relative $\Delta\chi^2$. Innermost (middle) ellipse = 90% (99.9%) CL region for $m_{h_{SM}} = 115$ GeV after Giga-Z and a $\Delta m_W \lesssim 6$ MeV threshold scan measurement. Stars = SM S, T prediction if $m_{h_{SM}} = 500$ or 800 GeV.

$a_\mu = \text{evidence for light 2HDM } A^0?$

A light A^0 (h^0) gives a positive (negative) contribution dominated by two-loop Bar-Zee graph. (Cheung *et al.*, Krawczyk)

Light A^0 can \Rightarrow appropriate Δa_μ .

For latest Δa_μ range ($\sim 3 \pm 1 \times 10^{-9}$), at moderate $m_{A^0} \gtrsim 50$ GeV, high $\tan\beta > 30 - 70$ is needed to explain Δa_μ . $\Rightarrow A^0$ in LC/LHC 'no-discovery' wedges (roughly defined by $m_{A^0} > 50 - 100$ GeV and $\tan\beta \sim 6 \pm \Delta(m_{A^0})$) could only supply part of Δa_μ .



Explanation of old BNL a_μ value via light 2HDM A^0 . (Cheung, Chou, Kong)

Detecting a light A^0 .

At the LHC

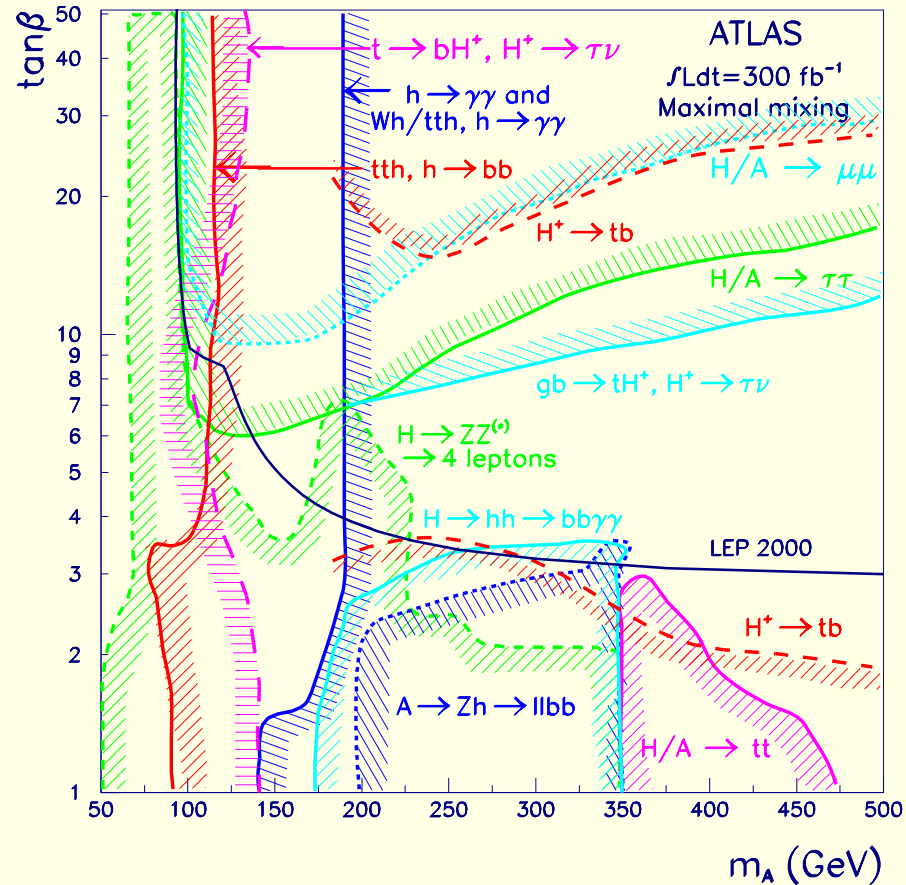


Figure 1: 5σ discovery contours for MSSM Higgs boson detection in various channels are shown in the $[m_{A^0}, \tan \beta]$ parameter plane, assuming maximal mixing and an integrated luminosity of $L = 300\text{fb}^{-1}$ for the ATLAS detector. The LHC MSSM wedge for $b\bar{b}H^0 + b\bar{b}A^0$ production \Rightarrow a presumably larger wedge for A^0 alone. Also note that there are no A^0 only modes below $m_{A^0} \sim 150$ GeV.

At e^+e^- , $\gamma\gamma$ and $\mu^+\mu^-$ colliders

Need to consider:

- $e^+e^- \rightarrow t\bar{t}A^0$ and $e^+e^- \rightarrow b\bar{b}A^0$.
- $e^+e^- \rightarrow Z^* \rightarrow ZA^0A^0$
 $e^+e^- \rightarrow e^+e^-W^*W^* \rightarrow e^+e^-A^0A^0$.
- $e^+e^- \rightarrow \gamma A^0, ZA^0, \nu_e\bar{\nu}_e A^0$ (all one-loop induced)
- $\gamma\gamma \rightarrow A^0$ (loop) and $\mu^+\mu^- \rightarrow A^0$ (tree).

Corresponding 'guarantees':

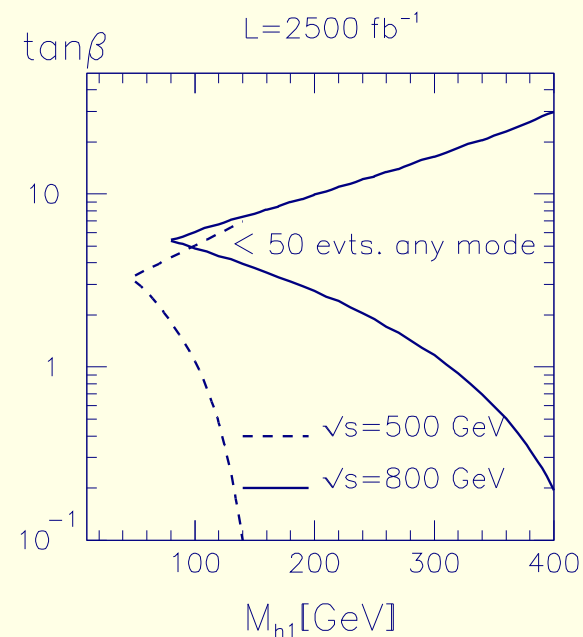
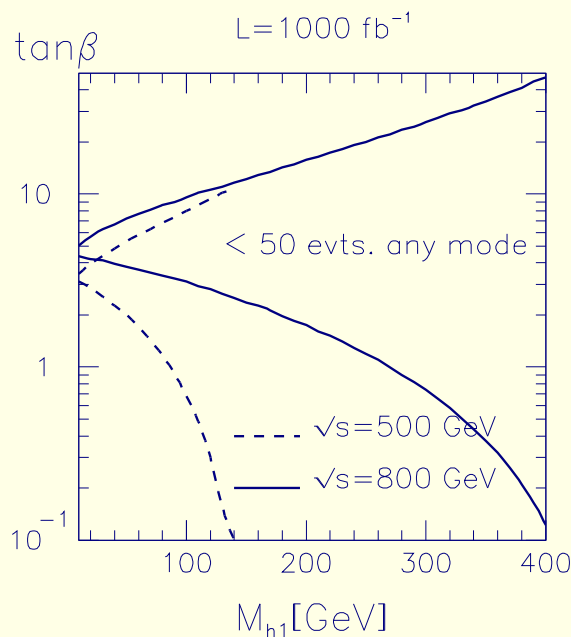
- Fermionic couplings: $g_{t\bar{t}A^0}^2 = \left(\frac{\cos\beta}{\sin\beta}\right)^2$, $g_{b\bar{b}A^0}^2 = \left(\frac{\sin\beta}{\cos\beta}\right)^2$
 \Rightarrow either $t\bar{t}$ or $b\bar{b}$ coupling of A^0 must be big.
- The quartic couplings ZZA^0A^0 and $W^+W^-A^0A^0$, from gauge covariant structure $(D_\mu\Phi)^\dagger(D^\mu\Phi)$, are of guaranteed magnitude.
- $\gamma\gamma \rightarrow A^0$ coupling from fermion loops, $\mu^+\mu^- \rightarrow A^0$ direct coupling to fermions.

Q: Are these processes enough?

A: No, but they certainly help.

$e^+e^- \rightarrow t\bar{t}A^0$ always works if $\tan\beta$ is small enough (and process is kinematically allowed).

$e^+e^- \rightarrow b\bar{b}A^0$ always works if $\tan\beta$ is large enough, but increasingly large $\tan\beta$ is required as m_{A^0} increases.



For $\sqrt{s} = 500$ GeV (dashes) and $= 800$ GeV (solid) the maximum and minimum $\tan\beta$ values between which $t\bar{t}A^0$ and $b\bar{b}A^0$ final states both have fewer than 50 events for decoupled A^0 (a) $L = 1000\text{fb}^{-1}$ or (b) $L = 2500\text{fb}^{-1}$. (from JFG+Grzadkowski+Kalinowski)

$L = 2500\text{fb}^{-1}$ wedge begins at $m_{A^0} \sim 80$ GeV ($\sqrt{s} = 800$ GeV).

LHC \Rightarrow smaller bad region (due to high rates)? – MSSM studies suggest so.

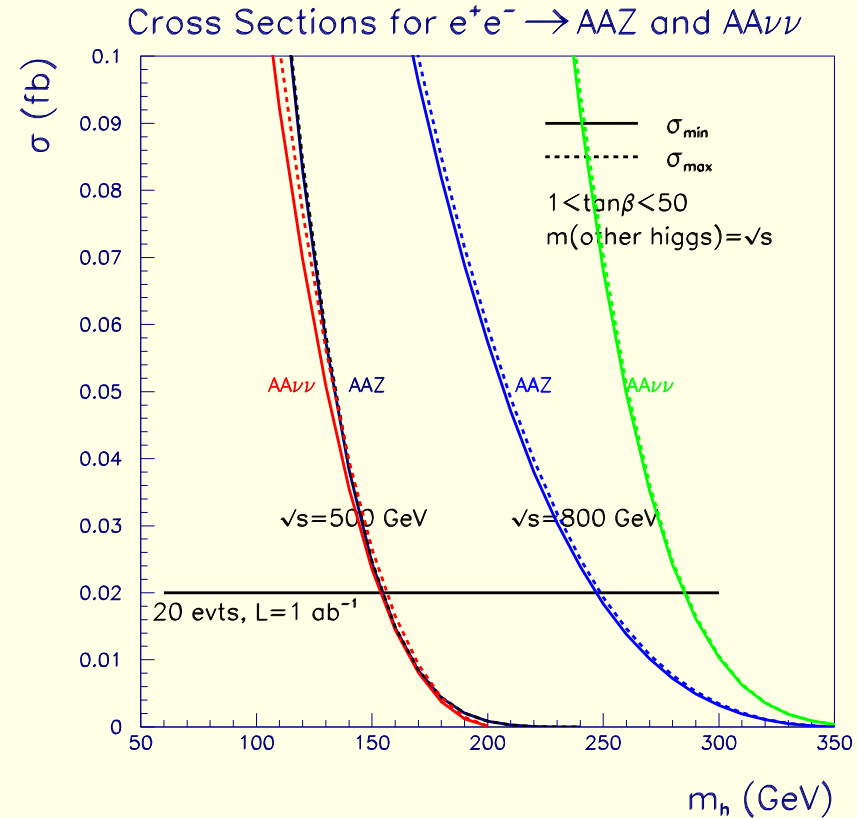
Challenge: close these wedges!

Wedges extend to higher m_{A^0} than plotted.

$A^0 A^0 Z$ and $A^0 A^0 \nu \bar{\nu}$ production allows discovery of light (decoupled) A^0 . If 20 events sufficient:

- $\sqrt{s} = 500$ GeV probes $m_{A^0} \approx 150$ GeV.

- $\sqrt{s} = 800$ GeV probes $m_{A^0} \approx 250 - 300$ GeV.



For $\sqrt{s} = 500$ GeV and 800 GeV we plot the maximum and minimum values of $\sigma(e^+e^- \rightarrow A^0 A^0 Z)$ and $\sigma(e^+e^- \rightarrow A^0 A^0 \nu \bar{\nu})$ found for $1 < \tan\beta < 50$ for $m_{\text{other Higgs}} = \sqrt{s}$. The 20 event level for $L = 1 \text{ ab}^{-1}$ is indicated. (from JFG+Farris)

But, 20 events probably not enough given that there are backgrounds.

Of single A^0 (one-loop) production processes, $e^+e^- \rightarrow \gamma A^0$ production has largest rate. (JFG+Farris+Logan+Su)

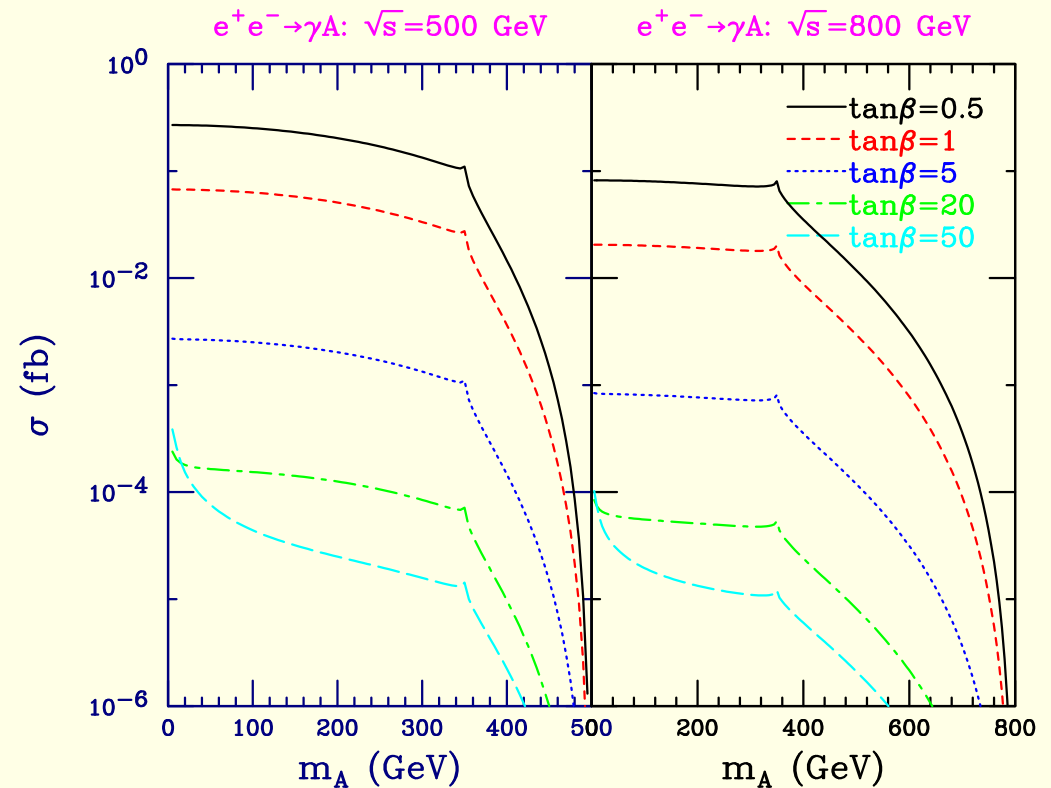
- Event rate $\neq 0$ only for $\tan\beta < 5$.

- $\frac{d\sigma}{dm_{b\bar{b}}}(e^+e^- \rightarrow \gamma b\bar{b}) = 0.5 \text{ fb}/10 \text{ GeV}$ at $m_{A^0} = 200 \text{ GeV}$,
 $= 0.2 \text{ fb}/10 \text{ GeV}$ at $m_{A^0} = 400 \text{ GeV}$ ($\sqrt{s} = 500 \text{ GeV}$).

\Rightarrow very hard!

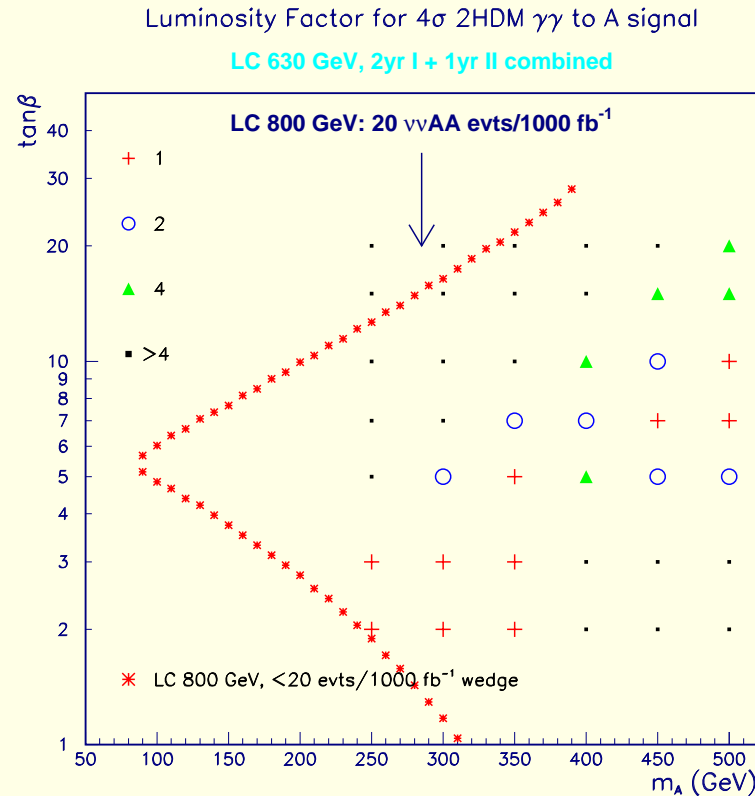
On the next page we show that $\gamma\gamma$ collisions could allow A^0 discovery in the wedge.

A muon collider could also be very competitive using $\mu^+\mu^- \rightarrow A^0$ and a carefully designed scan procedure. (JFG)



For $\sqrt{s} = 500 \text{ GeV}$, we plot $\sigma(e^+e^- \rightarrow \gamma A^0)$ as a function of m_{A^0} . (from JFG+Farris; see also Arhrib)

$\gamma\gamma \rightarrow A^0$ collider results: peaked + broad spectrum running.



+'s show points with $> 4\sigma$ signal after combining N_{SD} 's for 2 yr type-I and 1 yr type-II NLC operation at $\sqrt{s} = 630$ GeV. **o**'s show TESLA additions. (from JFG+Asner+Gronberg)

Recall that $A^0 A^0 \nu \bar{\nu}$ production covers up to $m_{A^0} \sim 285$ GeV for $\sqrt{s} = 800$ GeV operation.

For $\tan \beta \gtrsim 30 - 40$, $\gamma\gamma \rightarrow A^0$ becomes detectable for m_{A^0} range shown.

CP DETERMINATIONS

Vital for sorting out a complex Higgs sector.

- At LC there are many techniques based on WW and/or ZZ couplings for verifying a substantial $CP=+$ component.

But such couplings only sensitive to $CP=-$ component at loop level in Higgs models. \Rightarrow very hard to see $CP=-$ coupling even if there.

- Since $CP=+$ and $CP=-$ couplings to $t\bar{t}$ of any h are both tree-level ($\bar{t}(a + ib\gamma_5)t$), $t\bar{t}h$ angular distributions allow CP determination for lighter h 's. Use optimal observables.
 - At the LC, as long as there is reasonable event rate ($\sqrt{s} > 800$ GeV), this is straightforward. (JFG, Grzadkowski, He), (carried on by TESLA TDR, Reina, Dawson, ...).
 - At the LHC, there will be a high event rate, but reconstruction of t and \bar{t} (identification required) is trickier and backgrounds will be larger. Still, there is considerable promise. (JFG, He; JFG, Pliszka, Sapinski).
LHC experimentalists must convince themselves they can do this.

- $CP=+$ and $CP=-$ components also couple with similar *magnitude* but different structure to $\gamma\gamma$ (via 1-loop diagrams),

At the LC, \Rightarrow use $\gamma\gamma$ collisions. (JFG, Grzadkowski; JFG, Kelly; Djouadi etal, ..)

$$\mathcal{A}_{CP=+} \propto \vec{\epsilon}_1 \cdot \vec{\epsilon}_2, \quad \mathcal{A}_{CP=-} \propto (\vec{\epsilon}_1 \times \vec{\epsilon}_2) \cdot \hat{p}_{\text{beam}}. \quad (2)$$

- For pure CP states, maximize linear polarization and adjust orientation (\perp for CP odd dominance, \parallel for CP even dominance) to determine CP nature of any Higgs by using appropriate linearly polarized laser photons.. In particular, can separate A^0 from H^0 when these are closely degenerate (as typical for $\tan\beta \gtrsim 4$ and $m_{A^0} > 2m_Z$).
 - For mixed CP states, can use circularly polarized photons (better luminosity, reduced background) and employ helicity asymmetries to determine CP mixture.
- At a muon collider Higgs factory could probe CP of s -channel produced h by rotating transverse polarizations of colliding muons relative to one another.
Must take into account precession, but theoretical study suggests great promise (JFG, Pliszka).

Excellent determination of b and a is possible if luminosity can be upgraded from SM96.

Conclusions

- It could happen that the only light Higgs boson is a multi-doublet A^0 .
- The ability to directly detect and study a CP-odd Higgs boson with light to moderate mass would be of substantial importance in a variety of different model contexts.
- The precision electroweak data does not guarantee that a $\sqrt{s} = 600$ GeV e^+e^- LC will find some Higgs signal in most general model.

But, the scenarios of this type constructed so far always have a heavy SM-like Higgs that will be found by the LHC.

Further, Giga- Z studies and $\gamma\gamma$ collisions at the LC would then be very crucial to exposing the A^0 .

- Direct CP determination will probably prove to be vital to disentangling any but the simplest SM Higgs sector.